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**Cite this article:** Horpiencharoen W, Marshall JC, Muylaert RL, John RS, Hayman DTS. 2024 Impact of infectious diseases on wild bovidae populations in Thailand: insights from population modelling and disease dynamics. *J. R. Soc. Interface* **21**: 20240278.

<https://doi.org/10.1098/rsif.2024.0278>

Received: 3 September 2023

Accepted: 10 June 2024

**Subject Category:**

Life Sciences—Mathematics interface

**Subject Areas:**

ecosystem

**Keywords:**

bovine, disease transmission, prediction, population, wildlife conservation

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Electronic supplementary material is available online at <https://doi.org/10.6084/m9.figshare.c.7302768>.

# Impact of infectious diseases on wild bovidae populations in Thailand: insights from population modelling and disease dynamics

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The wildlife and livestock interface is vital for wildlife conservation and habitat management. Infectious diseases maintained by domestic species may impact threatened species such as Asian bovinds, as they share natural resources and habitats. To predict the population impact of infectious diseases with different traits, we used stochastic mathematical models to simulate the population dynamics over 100 years for 100 times in a model gaur (*Bos gaurus*) population with and without disease. We simulated repeated introductions from a reservoir, such as domestic cattle. We selected six bovine infectious diseases; anthrax, bovine tuberculosis, haemorrhagic septicaemia, lumpy skin disease, foot and mouth disease and brucellosis, all of which have caused outbreaks in wildlife populations. From a starting population of 300, the disease-free population increased by an average of 228% over 100 years. Brucellosis with frequency-dependent transmission showed the highest average population declines (−97%), with population extinction occurring 16% of the time. Foot and mouth disease with frequency-dependent transmission showed the lowest impact, with an average population increase of 200%. Overall, acute infections with very high or low fatality had the lowest impact, whereas chronic infections produced the greatest population decline. These results may help disease management and surveillance strategies support wildlife conservation.

## 1. Introduction

Livestock encroachment into wildlife habitats can drive disease transmission between wildlife and domestic livestock, which is a vital issue for both human public health and wildlife conservation. An effect of agricultural expansion and land-use change is to bring wildlife and livestock close to each other and increase the contact frequency and time between domestic and wildlife populations [1–3]. This increased contact may increase the risk of disease transmission as they can share the same natural resources (e.g. grassland and water) [4].

Infectious diseases can cause dramatic declines in wildlife populations, as demonstrated by chytridiomycosis, which has been implicated in the likely extinction of over 200 amphibian species [5]. Most infectious bovid pathogens are capable of infecting both domestic and wild species. For example, bighorn sheep populations declined from ovine respiratory disease (*Mycoplasma ovipneumoniae*) acquired when sharing the grazing areas with domestic sheep [6]. Similarly, bovine brucellosis has been transmitted from domesticated yak

to wild yak in China [7] and between bison, elk and domestic cattle in the USA [8]. Brucellosis affects these bison and elk populations both indirectly and directly as the seropositive animals may be culled for management and directly as the pathogen affects animal reproductive systems [9]. Critically, the impact of infectious diseases is determined by disease-specific traits, such as infection fatality rates [10].

There are five wild bovid species (gaur, banteng, wild water buffalo, mainland serow and Chinese goral) that remain in Thailand. They are experiencing dramatic population declines from habitat destruction, illegal hunting [11] and resource competition with domestic livestock [12]. Infectious diseases transmitted from contact with domestic cattle could cause further declines. Several diseases circulate in Thai cattle, including endemic diseases like bovine tuberculosis (bTB) from *Mycobacterium bovis* [13], and new infectious diseases, such as the recent lumpy skin disease (LSD) [14].

Infectious disease modelling provides a tool to understand disease dynamics better and predict the potential consequences of infection in a population, helping disease prevention and control programmes [15], particularly as collecting field data or conducting experiments on some pathogens and hosts is extremely challenging. Models have, for example, been used to determine the potential impact of disease on endangered species, such as canine distemper in the Amur tiger [16]. Although models contain uncertainty and may not cover all factors, predictions can guide the policies and help decision-making [17].

Here, we use mathematical models to explore the potential consequences of six major bovine infectious diseases on endangered Thai wild bovid populations. Our aim is to estimate the potential population changes after the disease is introduced in the population from a reservoir, such as domestic cattle. The diseases are anthrax, haemorrhagic septicaemia (HS), bTB, LSD, foot and mouth disease (FMD) and bovine brucellosis, which all infect a range of bovid species, are distributed worldwide, including Thailand, and have different characteristics. Our study predominantly focuses on the gaur (*Bos gaurus*) population as their populations are well described, plus, of five species of Thai wild bovinds, they have the greatest opportunity to interact with domestic livestock and humans since they are the most likely to share space and resources (e.g. agricultural areas, watering holes) [18,19]. We hypothesized that acute infections with very low and very high infection fatality rates would have less impact on populations than those with moderate mortality or chronic diseases; the latter has high fatality case because they 'burn out' by removing infectious individuals rapidly [10]. The study aims to help infectious disease surveillance and monitoring prioritization strategies in wildlife and livestock for wild bovid conservation.

## 2. Material and methods

### 2.1. Model construction

#### 2.1.1. Population dynamic models

We selected gaur population as a model system because they are widespread across Thailand, overlap with livestock and people, and demographic data are available [18,20]. Furthermore, their demography is similar to other threatened wild bovinds (electronic supplementary material, figure S1). We used the same model structure for all species. The demographic parameters for the remaining four bovid species used in simulations are provided in table 1 because they exhibit variations in population sizes, social behaviours and distribution, making them interesting for further infectious disease modelling of population impact.

We assumed demographic parameters were otherwise constant. If  $N$  is the total animal population,  $N_a$  is the adult population,  $N_{sa}$  is the subadult population,  $N_c$  is the calf population and  $\mu$  is the annual birth rate. Only adult females were assumed to add new calves to the population, which enter the susceptible class at a birth rate  $\mu_b N_a$ . Animals can leave their compartments at the natural death rate ( $\mu_a$ ,  $\mu_{sa}$  or  $\mu_c$ ) or age from calf to subadult ( $\delta_c$ ) and from subadult to adult ( $\delta_{sa}$ ). The natural death rate was estimated based on the mortality rate of wild ungulates and gaur in captivity [24]. The initial population was 300 animals, based on the gaur population size in the Khao Pheang Ma non-hunting area (8 km<sup>2</sup>) in Thailand [21,55]. Thus, the population dynamic model equations at time  $t$  can be as follows:

$$\begin{aligned} N_t &= N_c + N_{sa} + N_a \\ \frac{dN_c}{dt} &= \mu_b N_a + \delta_c N_c - \mu_c N_c \\ \frac{dN_{sa}}{dt} &= \delta_c N_c - \delta_{sa} N_{sa} - \mu_{sa} N_{sa} \\ \frac{dN_a}{dt} &= \delta_{sa} N_{sa} - \mu_a N_a \end{aligned} \quad (2.1)$$

#### 2.1.2. Infectious disease models

We used the same age-structured population as the baseline model equation (2.1) and incorporated compartments with different parameter values for building the disease models.

We modelled the diseases based on susceptible–infected–recovered (SIR) models and modified them based on the disease parameters of domestic animals (e.g. dairy cattle, domesticated buffalo) and wildlife from previous studies and background knowledge. Table 2 presents the diseases and model structures we used, and a flow diagram is in the electronic supplementary material. For the compartments used in the models,  $S$  denotes the number of susceptible animals,  $E$  denotes the number of

Table 1. Parameters and variables.

species										
symbol	description	gaur	banteng	buffalo	serow	goral	units	references		
$N$	starting total population	300	470	69	120 (assume)	292 (assume)	animal			
$\mu_b$	birth rate	0.34	0.35	0.40	0.70	0.50	yr <sup>-1</sup>	[21–23]		
$\mu_c$	calf death rate	0.27	0.26	0.27	0.50	0.45	yr <sup>-1</sup>	[24–26]		
$\mu_{sa}$	subadult death rate	0.15	0.26	0.15	0.15	0.28	yr <sup>-1</sup>	[24,27–29]		
$\mu_a$	adult death rate	0.17	0.15	0.20	0.28	0.18	yr <sup>-1</sup>	[24,27–29]		
$\delta_c$	calf ageing	0.0027	0.0027	0.0027	0.0027	0.0027	d <sup>-1</sup>	[30]		
$\delta_{sa}$	subadult ageing	0.0009	0.0009	0.0009	0.0009	0.0009	d <sup>-1</sup>	[30]		
disease										
anthrax										
$\beta$	disease transmission rate	$0.01-3 \times 10^{-5}$	$1.4 \times 10^{-3}$	0.330	0.008–0.032	0.15–0.026	d <sup>-1</sup>	$5.5 \times 10^{-3}$ – $5.5 \times 10^{-6}$	[31–37]	
$\sigma$	1/incubation period	0.14	$6.7 \times 10^{-3}$	—	0.14	0.13	d <sup>-1</sup>	0.07	[32,34,38–41]	
$\gamma$	1/infectious period	1	—	0.33	0.03	0.20	d <sup>-1</sup>	0.0014	[42–45]	
$\rho_c$	disease-induced fatality in calf	1	0	0.53–5.84	0.05	0.10	d <sup>-1</sup>	0.10	[45–50]	
$\rho_{sa}$	disease-induced fatality in subadult	1	0	0.53–5.84	0.03	0.05	d <sup>-1</sup>	0.05	[45–50]	
$\rho_a$	disease-induced fatality in adult	1	0.11	0.53–5.84	0.01	0.03	d <sup>-1</sup>	0.03	[45–50]	
$\alpha$	infected female will produce infected calf	—	—	—	—	0.50	d <sup>-1</sup>	0.9	[37]	
$\mu_{bf}$	birth rate for infectious individuals	—	$6.8 \times 10^{-4}$	—	$8 \times 10^{-4}$	$8 \times 10^{-4}$	d <sup>-1</sup>	$5 \times 10^{-4}$	[37,46,51]	
$\omega_c$	losing of immunity for calf	—	—	$5.6 \times 10^{-3}$	$5.6 \times 10^{-3}$	$8.3 \times 10^{-3}$	d <sup>-1</sup>	$5.6 \times 10^{-3}$	[42,52–54]	
$\omega_{sa}$	losing of immunity for subadult	—	—	$5.6 \times 10^{-3}$	$5.6 \times 10^{-3}$	$8.3 \times 10^{-3}$	d <sup>-1</sup>	$5.6 \times 10^{-3}$	[42,52–54]	
$\omega_a$	losing of immunity for adult	—	—	$5.6 \times 10^{-3}$	$5.6 \times 10^{-3}$	$1.8 \times 10^{-3}$	d <sup>-1</sup>	$5.6 \times 10^{-3}$	[42,52–54]	
$\omega_m$	waning of maternal immunity	—	—	—	—	$6.9 \times 10^{-3}$	d <sup>-1</sup>	$5.6 \times 10^{-3}$	[42,53]	
$\epsilon$	external force of infection rate	$2 \times 10^{-5}$	$2 \times 10^{-5}$	$2 \times 10^{-5}$	$2 \times 10^{-5}$	$2 \times 10^{-5}$	d <sup>-1</sup>	$2 \times 10^{-5}$	[10]	

To interpret the parameters, any rate  $r$  can be converted to probability  $P(t)$  using  $1 - \exp^{-rt}$ , where  $t$  is the time period, e.g. for  $\epsilon$ ,  $P(t) = 1 - \exp^{-2 \times 10^{-5} \times 365}$  or if the total  $S$  in the population is 300, approximately 2 events per year. The dashed line (—) means no parameters were used in the models.

exposed animals,  $I$  denotes the number of infected animals,  $R$  denotes the number of recovered animals and  $M$  denotes the number of calves with maternally derived immunity.

We selected six infectious diseases that have been reported to cause outbreaks in wild ungulates and livestock populations in several places, including Thailand, which are anthrax (*Bacillus anthracis*) with an  $SI$  structure, bovine tuberculosis (bTB; *Mycobacterium bovis*) with an  $SEI$  structure, haemorrhagic septicaemia (HS; *Pasteurella multocida*) with an  $SIRS$  structure, lumpy skin disease (LSD) with an  $SEIRS$  structure and both foot and mouth disease (FMD) and brucellosis (*Brucella abortus*) with an  $SIERMS/E$  structure. Table 1 displays the disease parameters used in the models. These infections have a range of key parameters of interest. They include infectious diseases with very short (effectively no) incubation periods (e.g. HS) to long incubation periods (e.g. bTB), and very high mortality (e.g. anthrax) to low mortality (e.g. LSD, FMD).

### 2.1.3. Mode of transmission

Different transmission types can provide different model results [56]. Here, we considered two disease transmission modes: (i) density-dependent (DD) and (ii) frequency-dependent (FD). DD transmission is assumed when the contact rate is proportional to the population density, while FD transmission is assumed when the contact rate is independent of the population density [56,57]. We assumed the transmission modes for each pathogen and then compared them by introducing both transmission modes because, for some infections, there is no clear evidence of which type suits the pathogen transmissions and these represent extreme situations of population change for both transmission modes [10].

The transmission is often probably a mix of both DD and FD in many cases such as FMD and bTB [58,59]. For the transmission rate ( $\beta$ ), we used parameter values based on the reference studies with the reported FD or DD transmission (table 1), which differs among infectious diseases. However, to test the sensitivity of the results to these assumptions, we also rescaled the  $\beta$  rate to all models to examine the consistency of the results between FD and DD using equation (2.2),

$$\begin{aligned}\beta_{DD} &= \frac{\beta_{FD}}{N} \\ \beta_{FD} &= \beta_{DD} \times N.\end{aligned}\quad (2.2)$$

### 2.1.4. Infection reintroduction

To model the repeated introduction of an infection from a reservoir such as domestic cattle (e.g. for FMD) or the environment (e.g. anthrax), we repeatedly reintroduced infection into our population at the rate  $\epsilon$  independently of any infection in the population. This reintroduction means the impact of infections is not simply estimated by the basic reproductive number ( $R_0$ ) but by the average number of secondary cases caused by a primary case in a completely susceptible population.

#### 2.1.4.1. Anthrax (*Bacillus anthracis*)

To model anthrax, we initially assumed that the transmission is FD. We used an  $SI$  model [31,60] with the transmission rate for FD at 0.01, then rescaled to FD using equation (2.2). We assumed that  $S$  animals are exposed to infected animals and then become infectious ( $I$ ) at rate  $\beta$ . All infected animals ( $I$ ) die (100% mortality) [45] at disease-induced death rate ( $\rho$ ) and the infectious rate ( $\gamma$ ),  $\gamma\rho I$ .

#### 2.1.4.2. Bovine tuberculosis (*Mycobacterium tuberculosis*)

Bovine TB is a chronic and zoonotic infection in livestock and wildlife worldwide [32]. We first assumed DD transmission and used an  $SEI$  structure for modelling. The flow of the model starts from  $S$ , which are exposed to  $I$  animals and become exposed ( $E$ ) at transmission rate ( $\beta$ ); then  $E$  animals enter the  $I$  compartment at the incubation rate ( $\sigma$ ). As we assume lifelong infection without recovery [32],  $I$  animals either die with an age-specific disease-induced fatality rate ( $\rho$ ) or a natural death rate ( $\mu$ ).  $S$  and  $E$  adults give birth with the normal birth rate  $\mu_b(S_a+E_a)$ , but  $I$  adults are assumed to have a lower fecundity rate (reduced by 27%) [46], at  $\mu_b I_a$ . Bovine TB has a long incubation period from several months up to 7 years [61], so here we used five months based on the mean incubation period in the African buffalo [32]. We also assumed that there is no vertical or pseudo-vertical (e.g. *in utero* or calf rearing) transmission as it is uncommon for bTB [62,63].

#### 2.1.4.3. Haemorrhagic septicaemia (*Pasteurella multocida*)

HS is a fatal septicaemic disease in cattle and buffalo. We assume DD transmission based on a previous HS modelling study [33]. We used an  $SIRS$  model and excluded an  $E$  class as the disease can show acute clinical signs with a short incubation period of approximately 18–20 h [64] and animals become  $I$  at the transmission rate ( $\beta$ ).  $I$  animals may die from HS at the disease-induced fatality rate ( $\rho$ ) or survive and recover ( $R$ ) at an infectious rate ( $\gamma$ ). We calculated the fatality rate in the cattle population to range from 0.53% to 5.84%. This was determined by dividing the number of deaths from HS (0.21%, assumed from the percentage of deaths from the bovine respiratory disease [47]), by the minimum (3.59%) and maximum (40%) prevalence of seropositive animals from *P. multocida* infected herds [65,66]. Therefore, we used two infection fatality rates (0.53 and 5.83%), since the case fatality is underestimated, as a large proportion of animals are infected but do not develop clinical signs of diseases.  $R$  animals re-enter  $S$  when they lose immunity at the immunity loss rate ( $\omega$ ). We used the proportion of susceptible animals (0.6) to calculate  $R_0$  and therefore the  $\beta$  rate using the equation,  $R_0 = (1/(1-I)) = 1/S$ .

**Table 2.** Diseases, pathogens and the structures adopted in the modelling procedures.

disease	pathogens	model structure
anthrax	<i>Bacillus anthracis</i>	$S \rightarrow I$
bovine TB	<i>Mycobacterium tuberculosis</i>	$S \rightarrow E \rightarrow I$
haemorrhagic septicaemia	<i>Pasteurella multocida</i>	$S \rightarrow I \rightarrow R \rightarrow S$
lumpy skin disease	<i>Capripoxvirus</i>	$S \rightarrow E \rightarrow I \rightarrow R \rightarrow S$
foot and mouth disease	<i>Aphthovirus</i>	$S \rightarrow E \rightarrow I \rightarrow R \rightarrow M \rightarrow S/E$
bovine brucellosis	<i>Brucella abortus</i>	$S \rightarrow E \rightarrow I \rightarrow R \rightarrow M \rightarrow S/E$

#### 2.1.4.4. Lumpy skin disease (*Capripoxvirus*)

We used an *SEIRS* structure for LSD. We inserted *E* and *R* compartments as the disease has an incubation period of between 7 and 14 days and a recovery period of around four–six months. We initially assumed that the transmission is DD as the cattle density could be one of the risk factors to increase the transmission rate within-herd. However, we used both FD and DD  $\beta$  values because the published work has reported differences in incidence rates associated with different transmission modes [34]. We assumed different birth rates for *I* females ( $\mu_{bl}$ ) from the natural birth rate, because LSD can reduce the fertility rate by 10% [51]. Also, we applied the highest fatality rate in calves (5%) and lower mortality rates to subadults (3%) and adults (1%) [48].

#### 2.1.4.5. Foot and mouth disease (*Aphthovirus*) and bovine brucellosis (*Brucella abortus*)

We initially assumed that the transmission was FD for both FMD and brucellosis. An *SEIRMS/E* model was applied for FMD and brucellosis. We considered the *SEIR* model appropriate for both diseases. Recovered FMD and brucellosis cows can pass immunity to their offspring. Therefore, we added a maternally derived immunity (*M*) compartment, which refers to the calves born with maternally derived immunity from recovered mothers ( $R_a$ ). We assumed that if recovered adults ( $R_a$ ) calve at the birth rate ( $\mu_b$ ), a calf will receive maternal immunity and stay in the *M* compartment for an average of six months [67] before immunity wanes and they become susceptible again ( $S_m$ ) at a loss of immunity rate ( $\omega_m$ ).  $S_m$  calves can either become an exposed calf ( $E_c$ ) if there is contact with *I* or enter a susceptible subadult ( $S_{sa}$ ) compartment at a loss of immunity rate plus calf ageing rate:  $1/\delta_c = 1/(\delta_m + \omega_m)$  or  $1/\delta_m = 1/(\delta_c - \omega_m)$  if they have no contact with *I* to ensure that animals spend the same average time in the calf age class ( $I_c$ ).

Vertical transmission from mothers to calves can be a consequence of infection among infected mothers with different probabilities for FMD (approx. 0.5) and brucellosis (approx. 0.9). Infectious adults are assumed to produce an infectious calf ( $I_c$ ) entering *I* at the birth rate  $\mu_b I$ . The proportion of infected females producing infected calves denotes  $\alpha$ . So, an infected female can produce an infected calf at a rate  $\alpha \mu_b I_a$  and produce a susceptible calf at a rate  $(1 - \alpha) \mu_b I_a$ .

The mathematical ordinary differential equations for the calf population ( $X_c$ ) are

$$\begin{aligned}
 \frac{dS_c}{dt} &= \underbrace{\mu_b(S_a + E_a)}_{\text{birth}} + (1 - a)\mu_b I_a - \underbrace{\beta_c S_c(I_c + I_{sa} + I_a)}_{\text{transmission rate}} - \underbrace{\delta_c S_c}_{\text{ageing rate}} - \underbrace{\mu_c S_c}_{\text{natural death}} + \underbrace{w_c R_c}_{\text{recovery rate}} - \underbrace{\epsilon S_c}_{\text{force of infection}}, \\
 \frac{dE_c}{dt} &= \beta_c S_c(I_c + I_{sa} + I_a) + \beta_c S_m(I_c + I_{sa} + I_a) - \sigma_c E_c - \delta_c E_c - \mu_c E_c + \epsilon S_c, \\
 \frac{dI_c}{dt} &= \sigma_c E_c - (1 - \rho_c)\gamma_c I_c - \rho_c \gamma_c I_c - \delta_c I_c - \mu_c I_c + \alpha \mu_b I_a, \\
 \frac{dR_c}{dt} &= (1 - \rho_c)\gamma_c I_c - \omega_c R_c - \delta_c R_c - \mu_c R_c, \\
 \frac{dM}{dt} &= \mu_b R_a - \omega_M M - \mu_c M, \\
 \frac{dS_m}{dt} &= \omega_M M - \delta_m S_m - \beta_m S_m(I_c + I_{sa} + I_a).
 \end{aligned} \tag{2.3}$$

The system of ordinary differential equations and all other disease model equations and diagrams can be found in the electronic supplementary material. Note that all equations are subsets or variants of equations (2.3).

## 2.2. Model simulations

Owing to the small population size of gaur and other endangered bovinds, we were interested in how infections might lead to their decline. Additionally, we aimed to allow infections to go extinct in populations if they could not be sustained. Therefore, we chose stochastic models for this study because they effectively capture the stochastic nature of wildlife populations using random values. This randomness introduces variation in population sizes, which significantly affects small population sizes and long-term simulations [68]. First, we built the population dynamics model without infectious disease classes and parameters

as a baseline model [10]. Then, we introduced an infectious adult ( $I_a = 1$ ) to the susceptible ( $S$ ) population. We assumed that  $I$  would infect  $S$  at a transmission rate,  $\beta$ , and enter the next compartment based on the model structure. Demography (birth rate, natural death rate and ageing rate), the external force of infection ( $\epsilon$ ) and disease-induced fatality ( $\rho$ ) were included in all disease models. The stochastic simulation was performed using the Poisson distribution to calculate the probability of events by multiplying the rate parameters  $i$  with a time step through Gillespie's  $\tau$ -leap algorithm ( $\tau = 1$ ) (equation (2.4)).

$$Prob_i = \text{Poisson}(\tau \times \text{rate}_i \times X), \quad (2.4)$$

where  $X$  is a state (e.g.  $S, I, R$ ). All models were simulated for 100 years, and the stochastic models were simulated 100 times to generate the mean and to understand the uncertainty. We modelled the population change for 100 years, as long-term simulations of at least 10 years or three generations of species is recommended to explore population trends, and short-term time series may lead to misleading conclusions [69].

The parameter values used for modelling were collected from the literature review and observational data (table 1).

### 2.3. Measuring impact

We compared the difference in total population ( $N$ ) between no infection and disease models by calculating the average percentage of the population change using the total population at the start ( $N_{t=0}$ ) minus the total population at the end ( $N_{t=100}$ ) of the simulation time, divided by  $N_{t=0}$  and converted this to a percentage, then divided by 100 times of simulations, using the following equation:

$$\bar{x} = \left( \sum_{i=1}^{100} \frac{N_t - N_{t=0}}{N_{t=0}} / 100 \right) \times 100. \quad (2.5)$$

We used a principal component analysis (PCA) to find which diseases showed similar traits grouped by four disease parameters (transmission rate, incubation rate, infectious rate and fatality rate), which were included in all models, and then coloured the values based on the percentage of the total population change. We performed PCA in R software using the PCATools package [70]. The highest percentage of the first two axes contributed most to the population percentage changes.

### 2.4. Code availability

We used R [71] to simulate all the models and for further analysis. The R code for reproducing the analyses is available at a GitHub repository <https://github.com/Wantidah/InfectiousModel>.

## 3. Results

### 3.1. Disease-free model

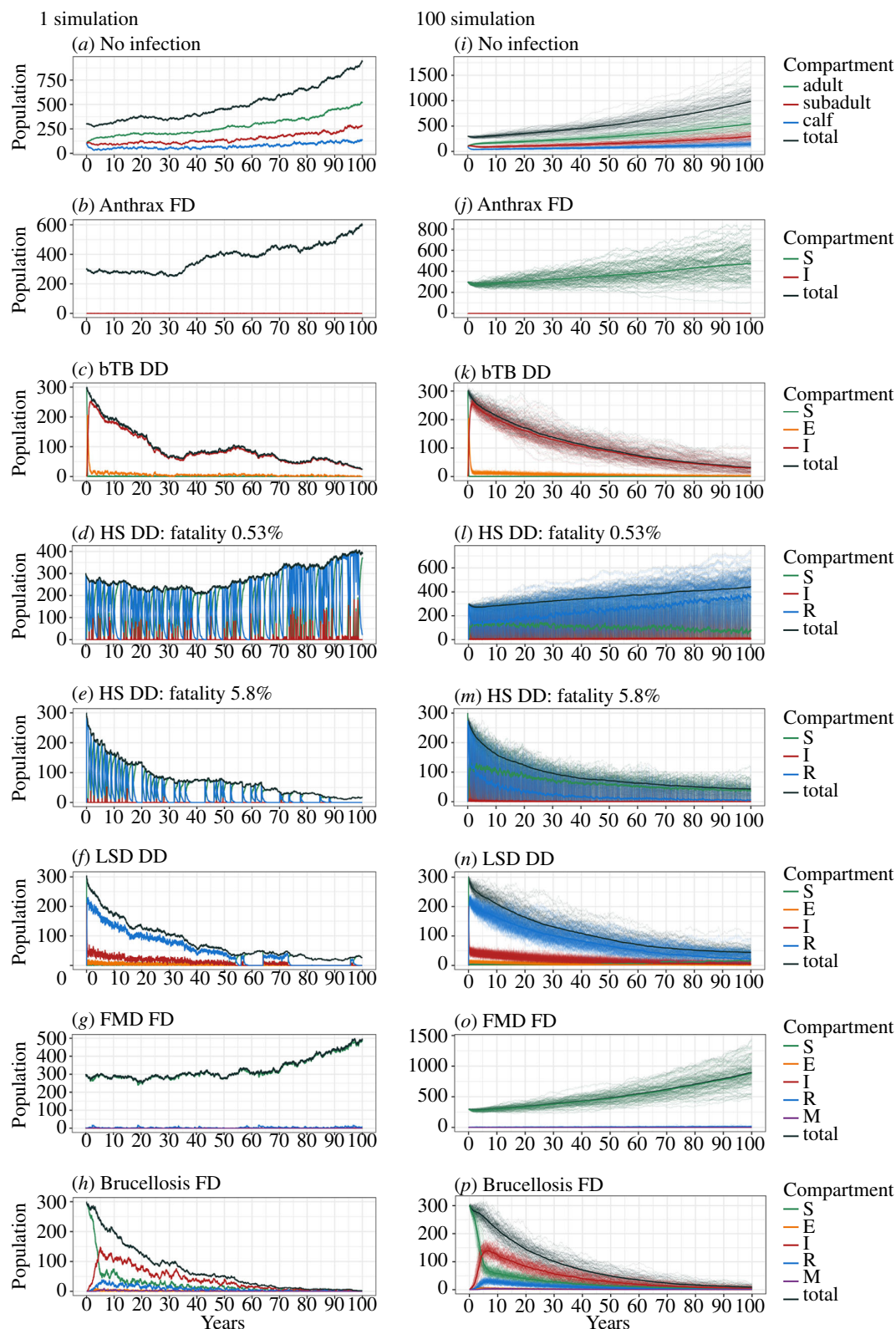
We developed stochastic models for a gaur population, including a baseline model without infection and six infectious disease models. The baseline model of the gaur population demonstrated significant population growth, increasing from 300 to an average of 685 (range 113–1469) additional animals, which is approximately a 228% (38–489%) increase over the 100 years simulated. The average adult and subadult populations consistently increased, while the calf population slightly decreased from 95 to 82 animals (19–279) on average (figure 1*a,i*). This gave us a disease-free population to model the impact of disease introduction into the baseline population to create the infectious disease models.

The population dynamics of the four other wild bovid species in Thailand show similar trends to the gaur population (electronic supplementary material, figure S1; figure 1), so we assumed there will be similar trends for the other two large bovids (banteng, wild water buffalo) that have similar herd sizes, population demography (e.g. age-structured, birth rate, death rate) and social behaviours to gaur [72].

However, the population dynamics may differ from the medium-sized bovids (Chinese goral and mainland serow) that live in smaller groups or even pairs and can be isolated from each other [73].

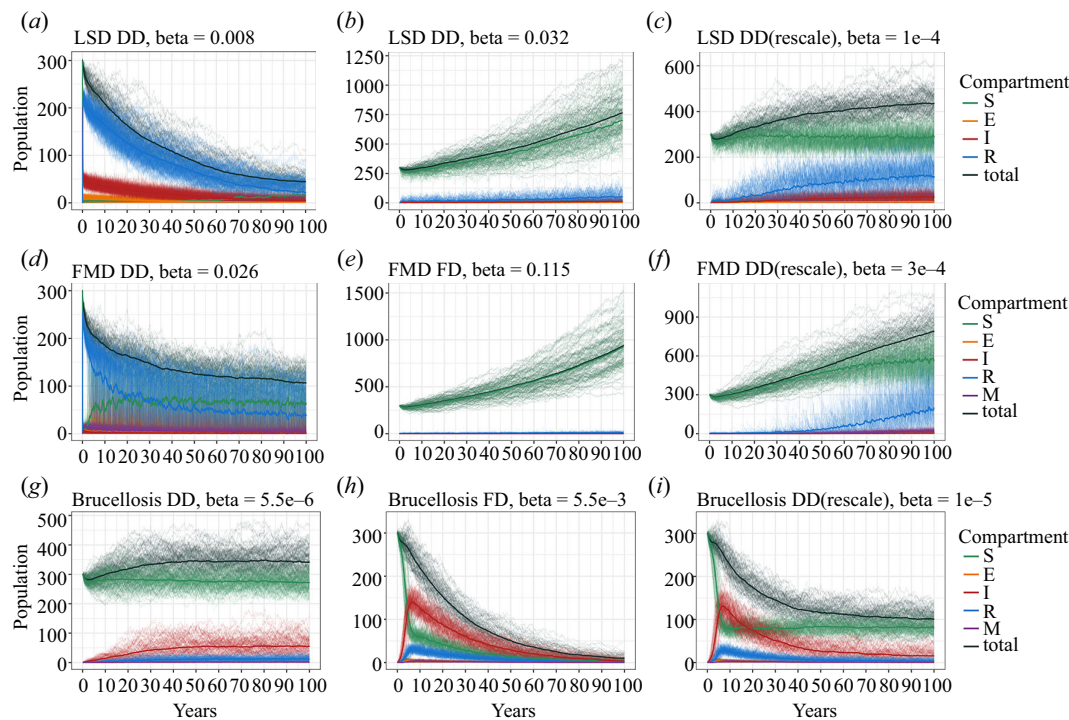
### 3.2. Disease impacts

Brucellosis had the greatest impact on population decline, while FMD had the lowest impact. Our PCA quantitatively shows that pathogens with longer incubation periods, chronic infection and medium to low fatality led to greater population decline in smaller populations of endangered bovids than a high fatality or high transmission rate alone. Most diseases were grouped by similar traits which are shown in the PCA biplot for brucellosis, bTB and LSD, while a few variations were seen for HS, and the FMD FD model was something of an outlier (rescaling DD) at  $\beta = 6552$  (electronic supplementary material, figures S17, S18). The greatest contribution to the percentage of population change in the first axis was the infectious rate (55%) and the fatality rate (42%). For the second axis, it was the incubation period (74%). The first axis,  $PC_1$ , has 43.25% and the second axis  $PC_2$  has 31.61% of the variance explained.



**Figure 1.** Modelled gaur population dynamics with and without disease: (a)–(h) are single example stochastic simulations for 100 years; (i)–(p) are 100 stochastic simulations for 100 years. Mean values are in solid lines. (a) and (i) are no infection models and the others are the infectious disease models where bTB is bovine tuberculosis; HS haemorrhagic septicaemia; LSD lumpy skin disease and FMD foot and mouth disease. The entire model results, including all disease parameters used in the simulations, can be found in the electronic supplementary material.

Using different parameter values, fatality rates and modes of transmission yielded different effects on the modelled populations for HS, FMD, LSD and brucellosis. FD brucellosis had the largest population impact, yet DD brucellosis suppressed population growth but led to a stable population. In contrast, FD transmission of HS, LSD and FMD showed a continued population increase. Anthrax and bTB showed only a slight difference in the average population change between the two transmission modes (figure 2a). Simply rescaling the  $\beta$  with modelling FD or DD transmission had limited changes, which demonstrated consistency in the population change within the same infectious disease. Rescaling the  $\beta$  also reduced the probability of local extinction in the gaur population ( $n = 0$ ) for FD brucellosis. Figure 2 presents the results of rescaling.



**Figure 2.** Population dynamics for LSD, FMD and brucellosis with different transmission modes and rescaled  $\beta$  transmission coefficient values to isolate the effect of the mode of transmission. (a), (d), (g) are DD models; (b), (e), (h) are FD models; and (c), (f), (i) are DD models with rescaled  $\beta$  transmission of FD parameters. Rescaling LSD (a) and (b) and FMD (d) and (e) parameters has limited impact over the period modelled, but rescaling the brucellosis  $\beta$  shows a reduction in FD transmission.

LSD, FMD and brucellosis highlighted differences in population trends between FD and DD transmissions. We selected some important model results in figure 1, and all modelling results and diagrams for infectious diseases and population changes can be found in the electronic supplementary material, figures S2–S16.

### 3.2.1. Anthrax

There is no substantial impact on the population after introducing anthrax into the population, with a similar population change observed between FD and DD models. Both transmission rates showed an increase in population, with a 57% increase for FD and 51% for the rescaled DD model. No massive die-offs were predicted, with only one–three infectious animals predicted for each outbreak for both transmission modes, consistent with the low transmission rate ( $\beta = 0.01$ ) applied and a rare case of animal-to-animal transmission.

### 3.2.2. Bovine tuberculosis

There was uncertainty regarding the mode of transmission in bTB models; however, Cross & Getz showed limited qualitative differences in model outcomes when they used FD or DD transmission [32]. Here, we saw similar results in that overall, the populations tended to decline gradually through the simulation period with an 88–89% decline from the initial population. Rescaling the  $\beta$  transmission parameter also led to limited qualitative differences in population trends, but we did see differences in predicted classes; for example, this increased or decreased the number of infected individuals over time (i.e. higher or lower prevalence; see electronic supplementary material, figures S5 and S6).

### 3.2.3. Haemorrhagic septicaemia

For HS, we found that the impact of infection was less dependent on the mode of transmission than case fatality. A 10-fold increase in the fatality rate led to a decline in the total population change (electronic supplementary material, figures S8 and S9).

### 3.2.4. Lumpy skin disease

For LSD, we found that the two published transmission parameter values (0.008 and 0.032) led to differing outcomes that also depended on the mode of transmission [34]. While rescaling the parameters did not lead to qualitative differences, the use of the parameter values estimated from direct density-dependent transmission within herds from [34] led to a population decline. However, the estimate from the indirect transmission (presumably via mechanical transmission from flies) did not, and the modelled population still grew by 155% with FD LSD (electronic supplementary material, figure S11).

### 3.2.5. Foot and mouth disease

The least impact on the modelled population was seen in the FMD model with FD transmission, which predicted the total population growing by 200%, around 28% less than the disease-free population. Frequency-dependent FMD transmission with a  $\beta$  transmission rate of 0.115 and the rescaled DD parameter  $3 \times 10^{-4}$  similarly had a limited impact on the population growth with an increasing population over time (figure 2). Increasing  $\beta$  in the DD model, however, decreased the total population by -80% at  $\beta = 21$ , which had a greater impact on the population change from 130% at  $\beta = 3 \times 10^{-4}$ . FMD also showed a periodic pattern with outbreaks around every 3–5 years (figure 1). Increasing the  $\beta$  rate from 0.11 to 21 in FD FMD models led to similar dynamics close to DD transmission (electronic supplementary material, figure S13 and S14).

### 3.2.6. Brucellosis

Brucellosis with FD transmission led to a 97% decrease in the average population change (figure 2h) and was most likely to drive the population to local extinction with 16% of the total simulations leading to extinction, mostly occurring from year 80 to 100 (figure 1h,p), and electronic supplementary material, figure S15).

## 4. Discussion

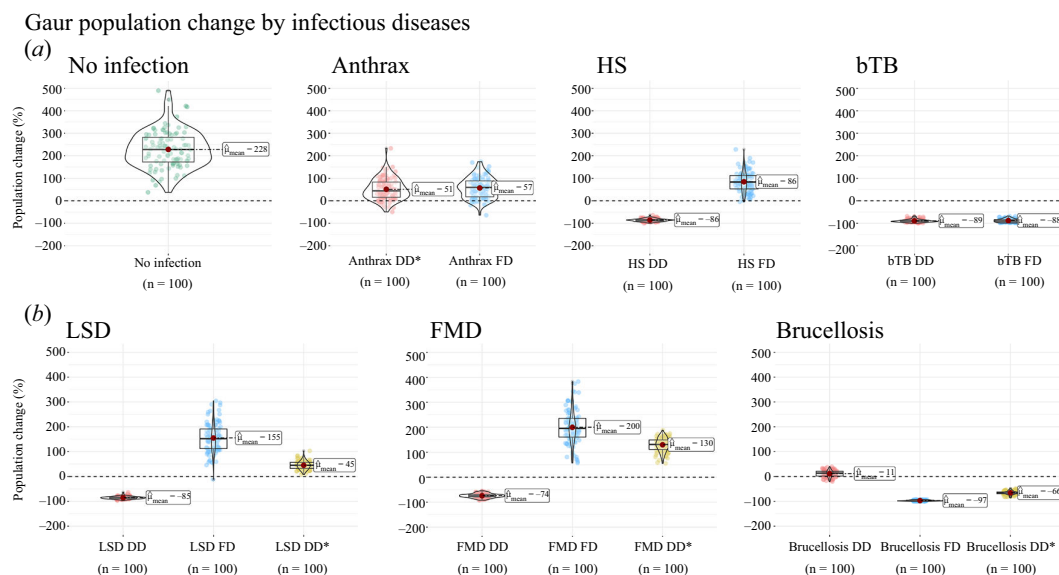
Interactions between wildlife and livestock can facilitate the transmission of emerging infectious diseases [74], making this interface an essential area of concern to public health, animal production and wildlife conservation. We identified the potential consequences and severity of six bovine infectious diseases present in Thailand (anthrax, HS, bTB, LSD, FMD and brucellosis) in a model wild bovid population, using different infectious disease model compartments based on the current literature (table 1). Brucellosis had the greatest population impacts and FMD the lowest, despite the same model structures being used for these two pathogens. Overall, our base model predicted population growth with varying impacts of diseases, and our analyses matched our expectation that those acute infections with very high fatality rates (anthrax and HS) have less impact than chronic infections with lower infectious rates (bTB, brucellosis), as infected individuals are rapidly removed from populations [10]. Therefore, our analyses suggest that pathogens with longer incubation periods, chronic infection and low to medium fatality rates have a greater negative impact on population growth in small populations of endangered bovinds (figures 1 and 2, electronic supplementary material, figures S5, S6 and S15). This is most likely because these traits allow infections to persist, allowing long-term infection effects on demographic structures (e.g. reduced birth rate, increased death rate).

We used 100% fatality rates in all infected animals as the worst-case scenario for the anthrax model, which led to limited impact over the 100 years, probably because of this rapid removal of infected individuals (*I*), despite the repeated reintroduction of infection [10]. We first considered anthrax transmission between infected and susceptible animals as FD transmission, assuming contact rate is more influential than host density [31]. However, the transmission mode could also be DD, based on the density of spores in the contaminated environment (e.g. infected carcass, soil) [60] and the cattle density that could contribute to between-species transmission [75]. Thus, we modelled repeated introductions through  $\epsilon$  to cover the external force of infections, including the risk of disease transmission from cattle, other than within-herd transmission.

Bovine tuberculosis causes chronic, fatal infection and reduces pregnancy rates and, therefore, the population growth of wild bovinds [46,76]. There is no current evidence of bTB infection-driven population declines in Asian wild bovinds; however, our study found that, regardless of both transmission modes, the long-term effect of bTB would be to reduce the expected total population by around 88–89%. This is similar to findings by Jolles *et al.* [46], who showed that bTB persisted in African buffalo populations and reduced adult buffalo numbers primarily through mortality of animals more than 4.5 years old. The transmission coefficient ( $\beta$ ) was noted as one of the most important parameters for bTB in African buffalo [32]. In our work, we found consistent population dynamics between FD and DD transmission, defined by similar trends and percentages of population change, when converting  $\beta$  between the original value (from several studies) and the rescaled values (figure 2a–i). This is probably owing to the duration of the infection, which might increase the probability of contact with infectious animals in the population and the number of transmissions.

For HS, many animals are infected but do not develop clinical signs, making it difficult to detect infected animals. Furthermore, variable clinical signs make positive cases difficult to detect, therefore, the case fatality rate is normally substantially higher than the actual infection fatality rate. In our study, we calculated the fatality rate using the prevalence of seropositive animals (max = 40%) from reported studies of cattle populations, and this substantially decreased the case fatality from 90% to around 6% of animals [66,77]. Our model shows that changing the mortality from 0.53% to 5.8% affects the total population numbers more than changing the transmission modes, by more strongly reducing the population sizes (electronic supplementary material, figure S8 and S9). HS antibodies were found in free-ranging buffalo in Asia so this population might be a reservoir, but this needs further investigation [64]. HS is endemic among cattle in Thailand [77], and mortality in wild ungulates has been reported historically [78], so the mortality and infection status of HS should be considered in the mitigation plans for endangered species (e.g. wild water buffalo and banteng).

Both FMD and LSD with FD transmission had the least impact on populations, with acute, short infections with lower overall mortality [54,79]. FMD, in particular, is highly contagious among cattle with a very high  $\beta$  coefficient compared with the other diseases [59]. Yet, although Beck-Johnson *et al.* [59] found little effect of FMD with either transmission mode within-herds, our results showed that DD transmission led to greater population declines, as did rescaling the parameter used for FD models. The reason for the latter observation is not clear but might be because the dynamics with reintroduction allows more infection



**Figure 3.** Overall modelled gaur population changes for each infection. Shown are the 100 results after 100 years of 100 stochastic simulations. The x-axis is the type of disease transmission and y-axis is the population change in percentage. (a) compares no infection, FD and DD for anthrax, HS and bTB; (b) compares FD and DD transmission and DD\* that uses the rescaled  $\beta$  transmission from the FD model with DD transmission for LSD, FMD and brucellosis.

to persist and so suppresses the population (figure 2). Note that with reported wild bovid herd sizes, acute transmission is unlikely to allow FMD to persist, but reintroductions from cattle reservoirs (modelled through  $\epsilon$ ) are likely [53]. Our result for FMD DD transmission also showed cyclic patterns in outbreaks consistent with seasonal patterns of outbreaks observed in Thailand [80].

We found that brucellosis with FD transmission and its reported  $\beta$  rate might cause extinction 16% of the time, whereas DD transmission ( $\beta = 5 \times 10^{-6}$ ) may suppress population growth, but not enough to cause population declines and even with the published FD rate rescaled ( $\beta = 1 \times 10^{-5}$ ) and used in a DD model, this caused declines but not extinctions (figure 3b). Brucellosis has caused population declines among African buffalo, especially when there is a co-infection with tuberculosis [81]. However, brucellosis only caused limited population growth impacts in American bison, even though the disease persisted in the population over time [37,82]. In Dobson and Meagher's study [37], their FD brucellosis models showed bison populations would increase in numbers, whereas our models predicted a decrease, perhaps because our model species' population size and structure differed from their study. Notably, *Brucella* can infect multiple species, and the transmission source may not be obvious when multiple species interact. For example, brucellosis outbreaks in Yellowstone National Park, USA, were not from wild bison as first thought, with elk the likely primary host [83]. Understanding the potential transmission among and from other wild Asian ungulates may be necessary to fully understand potential brucellosis impacts.

We assumed a single, closed (no migration) population with constant natural birth and death rates. Therefore, our models explore the intrinsic population dynamics without considering the influence of other positive (e.g. conservation) or negative factors (e.g. habitat destruction, competition). Furthermore, it is unclear what population changes occur during migration [84], so a closed population model can only simulate within-herd dynamics and reflect the population impacts in a small population, such as in small protected areas [20,21].

Selecting the appropriate transmission mode for modelling is challenging [85]. The infectious disease parameter values themselves are mostly estimated from livestock outbreak data, which can vary among the regions. Rarely is infection 'natural' without intervention through disease control [59]. Although the transmission type for some pathogens has been recorded as FD or DD in previous studies, these were mainly conducted under farm husbandry or experimental conditions in captive or closed systems. These conditions significantly allow animal density to affect contact rates. However, our study focused on wildlife populations that are distributed in areas in which the frequency of contact could have more influence. Moreover, some infectious diseases can display aspects of FD and DD depending on the conditions, such as within- or between-herd transmission, herd size, density, contact with other reservoirs and contact mode (indirect, direct). For example, the bTB transmission rate can be increased correlated to herd size if the area is stable because the density of animals is increased [86]. Also, the transmission mode for anthrax spores from animal to animal is FD, but from the environment to an animal is based on the density of the spores in the areas. We, therefore, took the strategy of assuming the most extreme scenarios, fully FD and DD and used both for modelling.

Our models also added the external force of infection ( $\epsilon$ ), which represents the reintroduction of pathogens.  $\epsilon$  is assumed to include transmission from other sources of infection other than just infectious animals, such as transmission owing to environmental factors (e.g. soil, carcasses) or vectors (e.g. blood-sucking fly) to susceptible animals [10]. This transmission can theoretically cause population extinctions if agents have high case fatality rates. Here, we chose a relatively high reintroduction rate (approx. two per year into the initial population), which probably represents a worst-case scenario. However, to improve this study, we encourage adding the specific environmental factors for each disease and incorporating spatial analyses [87,88].

Further studies might also consider adding the potential reservoir hosts and their dynamics into the models by building two or more host models to examine the transmission route among the potential hosts [89–93]. Modelling

co-infection is another important point as there are interactions between infections such as FMD and HS, which are seen as a secondary infection in FMD outbreaks [94], or between brucellosis and bTB [81]. However, our analysis provides an approach to understanding the *relative* likely impact of common endemic and emerging diseases with different traits and is a tool for understanding gaps in disease surveillance and control systems by using the prediction modelling before implementing actions. Future analyses could also determine the impact of using an Erlang-distributed waiting time, rather than an exponential distribution, on those parameters with large amounts of variation, particularly the incubation period [95]. Another is a sensitivity analysis that can be applied to identify the degree of influence of the disease parameters on the model output, in this case, population change. It also suggests which state of disease transmission should prompt action and aids in selecting optimal control measures [96].

Strengthening disease surveillance and mitigation programmes may be further achieved by targeting virulent diseases through passive and active surveillance data, such as collecting the frequency of infections, number and species of wild ungulates, behaviour and time spent together between wild and domestic livestock (particularly in the high-risk areas) [97,98]. It may be useful for disease mitigation to largely focus on domestic animal disease control and preventing transmission to wildlife as an amenable approach [97]. Moreover, conserving wildlife habitat can reduce the probability of contact and the risk of disease transmission between wildlife and domestic livestock [3,99]. Limiting the contact between wildlife and livestock could reduce species extinction [100].

With applications in wildlife conservation, a reproducible modelling framework is advantageous for targeting pathogens that threaten other wildlife populations with similar assumptions. Although our infectious disease modelling focused on the traits of pathogens in one species population, our method and framework may be applicable to other wildlife populations by incorporating their population demographics and disease parameters. This framework is also beneficial for endangered species, enabling the simulation of various scenarios and the identification of potential disease threats, along with estimating the recovery period after introducing the infection.

## 5. Conclusion

Our study has provided a prediction of the potential consequence of disease in wild bovid populations considering six important bovine infectious diseases: anthrax, HS, bTB, LSD, FMD and brucellosis. The baseline population model shows a natural population growth of approximately 228%, suggesting maintaining healthy vulnerable populations could allow them to re-establish and overcome the current levels of extinction threats while diseases and other factors may regulate population growth. The inclusion of different disease traits has consequences on the population numbers depending on the transmission, incubation, fatality and infectious rates. Brucellosis and bTB models show the greatest, long-term impact among all the models, whereas FMD and LSD show the least impact, suggesting common but more chronic or ‘slow’ infections with relatively high mortality may pose the greatest threat to smaller, threatened bovid populations.

**Ethics.** This work did not require ethical approval from a human subject or animal welfare committee.

**Data accessibility.** Data available at [101] and from GitHub [102].

Electronic supplementary material is available online [103].

**Declaration of AI use.** We have not used AI-assisted technologies in creating this article.

**Authors' contributions.** W.H.: conceptualization, formal analysis, funding acquisition, investigation, methodology, writing—original draft, writing—review and editing; J.C.M.: formal analysis, methodology, supervision, validation, writing—original draft, writing—review and editing; R.L.M.: formal analysis, methodology, supervision, validation, writing—original draft, writing—review and editing; R.S.J.: formal analysis, methodology, supervision, validation, writing—original draft, writing—review and editing; D.T.S.H.: conceptualization, formal analysis, funding acquisition, methodology, supervision, validation, writing—original draft, writing—review and editing.

All authors gave final approval for publication and agreed to be held accountable for the work performed therein.

**Conflict of interest declaration.** We declare we have no competing interests.

**Funding.** W.H. was supported by funds from the Manaaki New Zealand Scholarship and D.T.S.H. by Royal Society Te Apārangi Rutherford Discovery Fellowship (RDF-MAU1701) and the Percival Carmine Chair in Epidemiology and Public Health.

**Acknowledgements.** We thank Prof. Richard Laven from Massey University for helpful comments on HS and Dr Rosemary Barraclough from <sup>m</sup>EpiLab for revising the manuscript draft. The authors thank Massey University's subscription to New Zealand eScience Infrastructure (NeSI) which enabled us to use high-performance computing facilities <https://www.nesi.org.nz>.

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